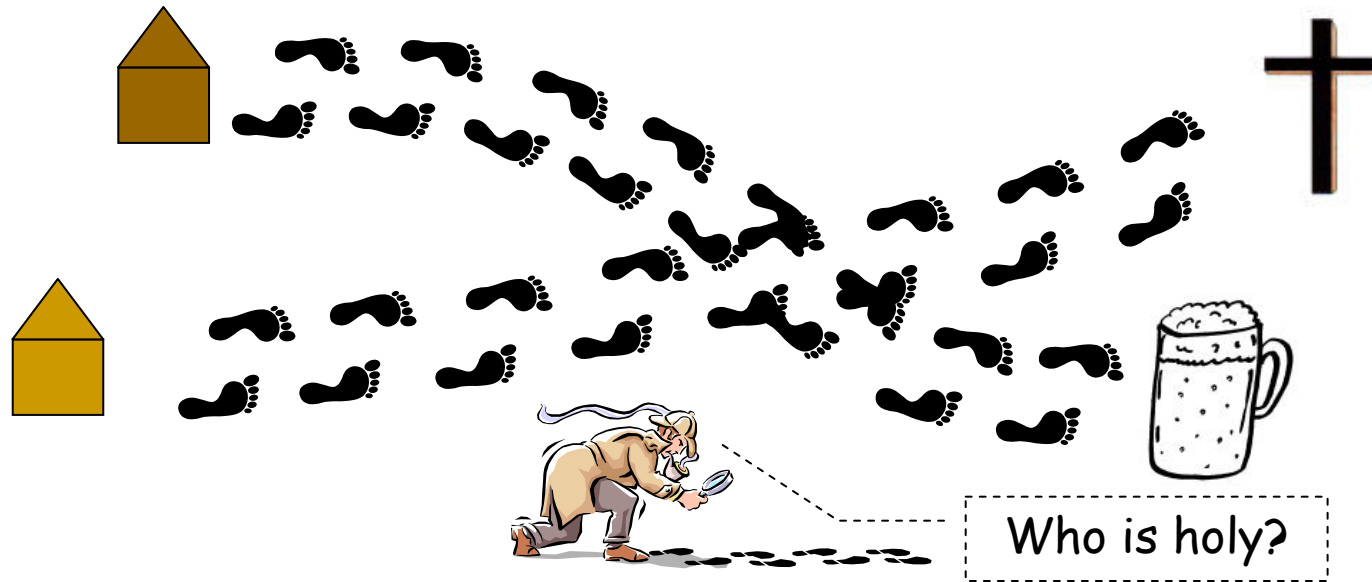

Protecting Location Privacy Through Path Confusion

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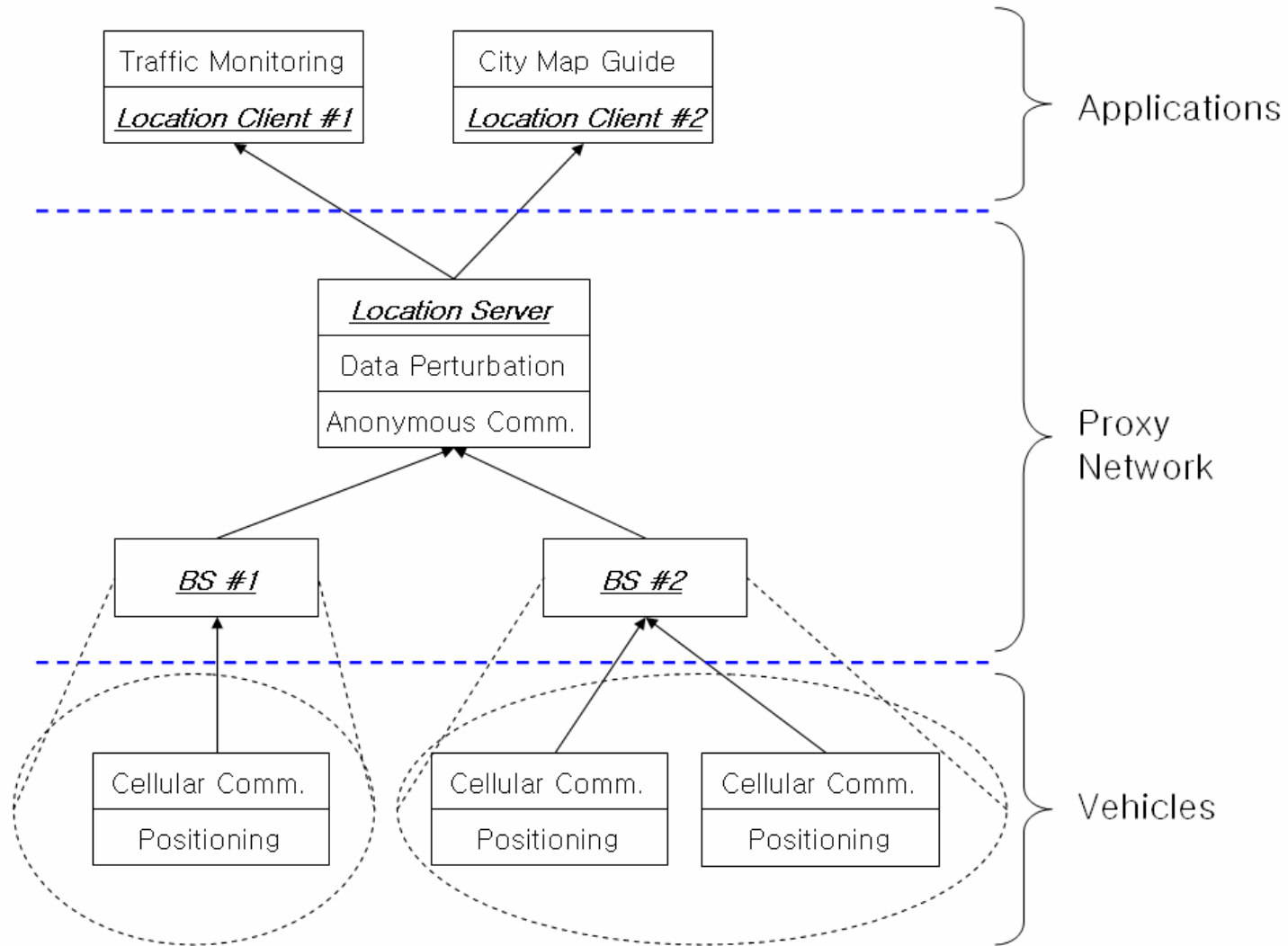
“Big brother is seeing you...”



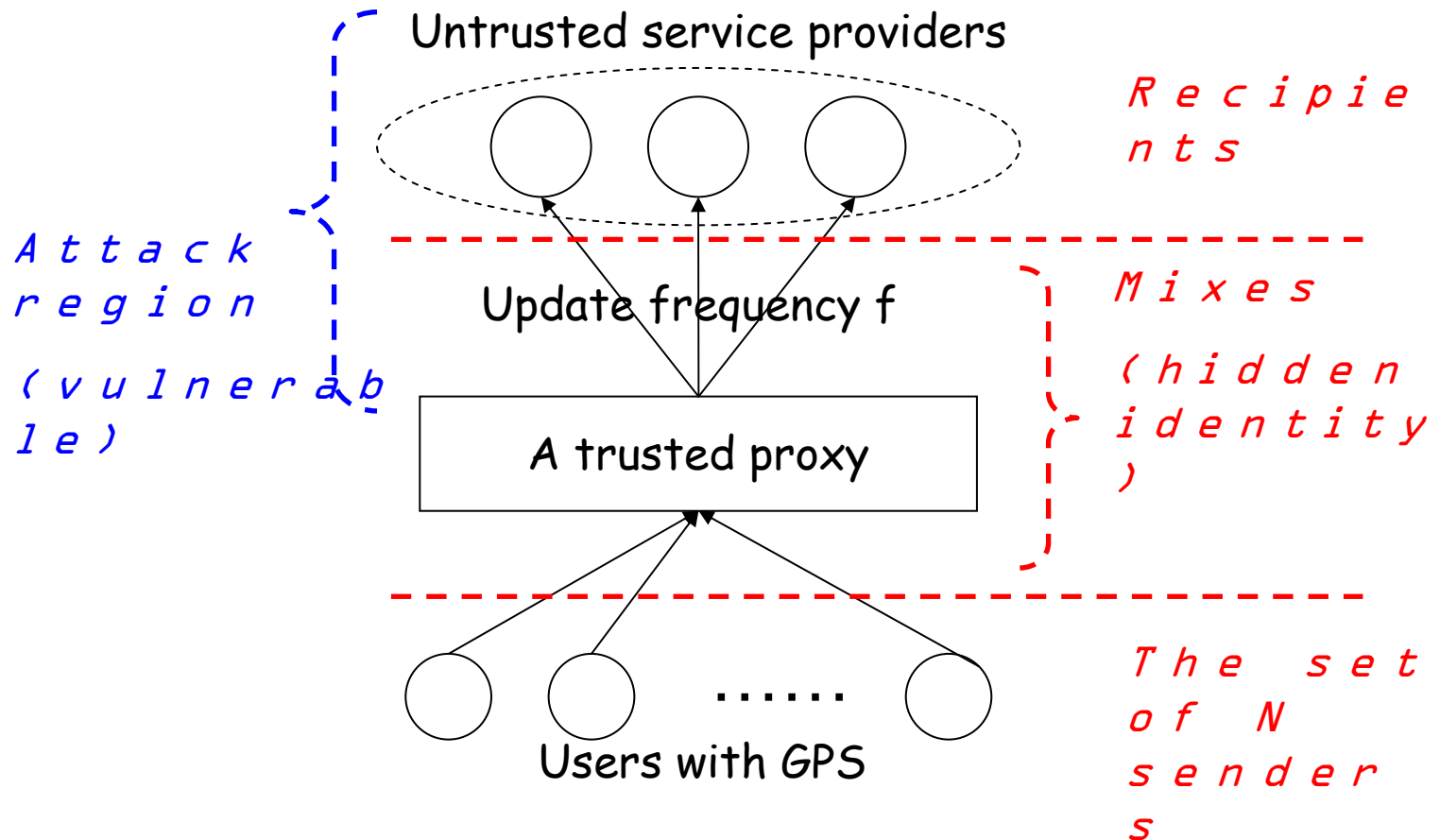
The term "Big Brother" refers to the government of Oceania, the setting of George Orwell's classic "1984."

- IBM signs \$125 mil. deal to build nationwide automobile monitoring system in UAE, the largest telematics deal in history. (*Information Week*, April 15, 2005)

System Model

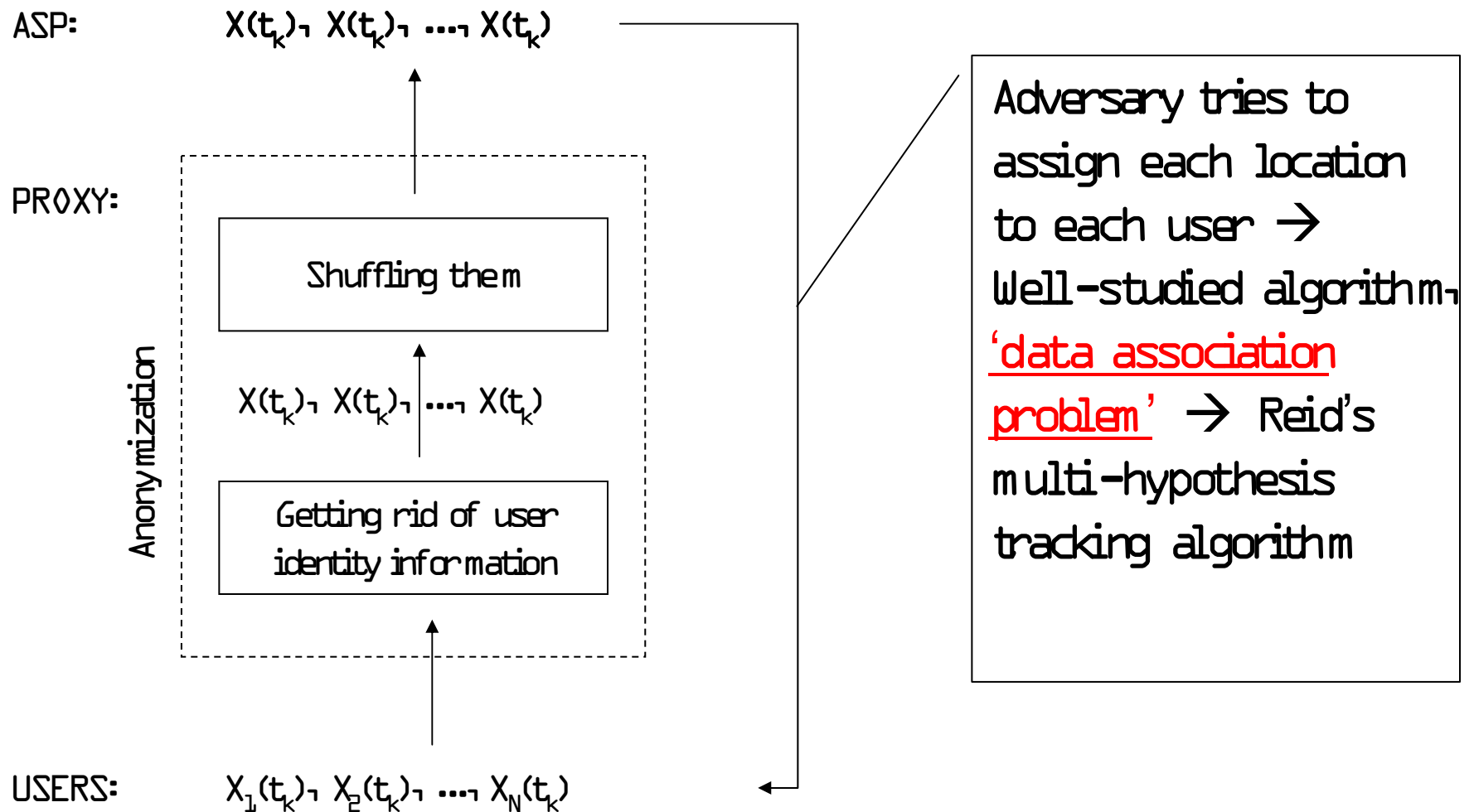


Location Privacy Framework



- The role of a trusted proxy: anonymization gets rid of user identity and shuffles location packets

Attack Model

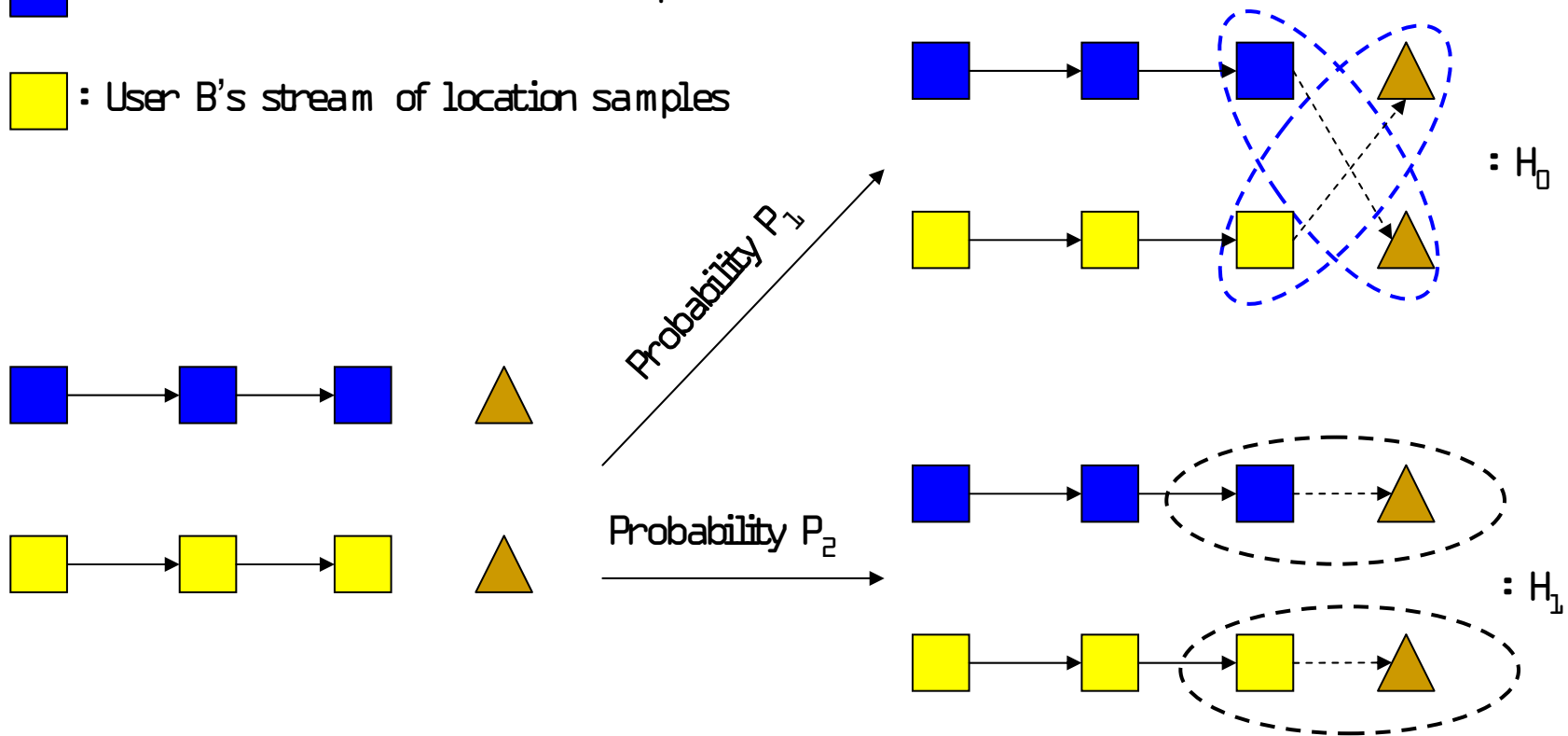


Attack Model (Example)

▲ : Current location samples

■ : User A's stream of location samples

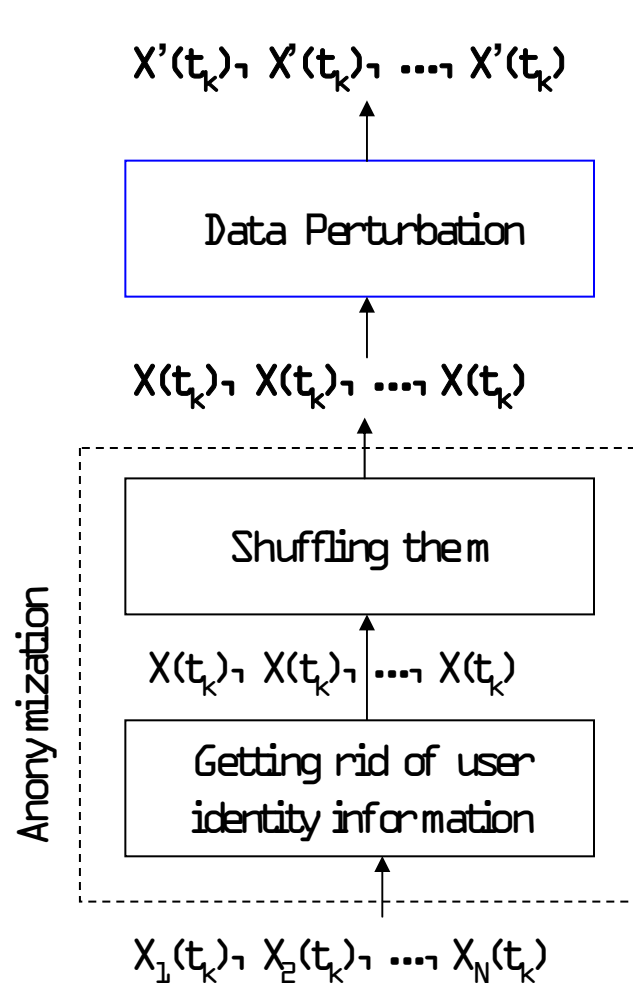
■ : User B's stream of location samples



Approach

- Research statement
 - Naive anonymization is not sufficient for low user densities
 - How can we maximize location privacy while using anonymous location-based applications?
- How to preserve privacy against an adversary?
 - Adding spatial uncertainty: path perturbation
 - Formulating the problem as a constrained optimization problem

Approach (cont.)



We find the optimal set of values $\{X'(t_k), X'(t_k), \dots, X'(t_k)\}$ which maximizes location privacy at the bearable loss of quality of service.
(tradeoff)

Metrics and Optimization formulation

- We can formulate perturbation as a constrained nonlinear optimization problem.

$$\max_{\forall \widetilde{x}_n(k), \forall \widetilde{y}_n(k)} \sum_{i=1}^I p_i(k) d_i(k)$$

such that for every user

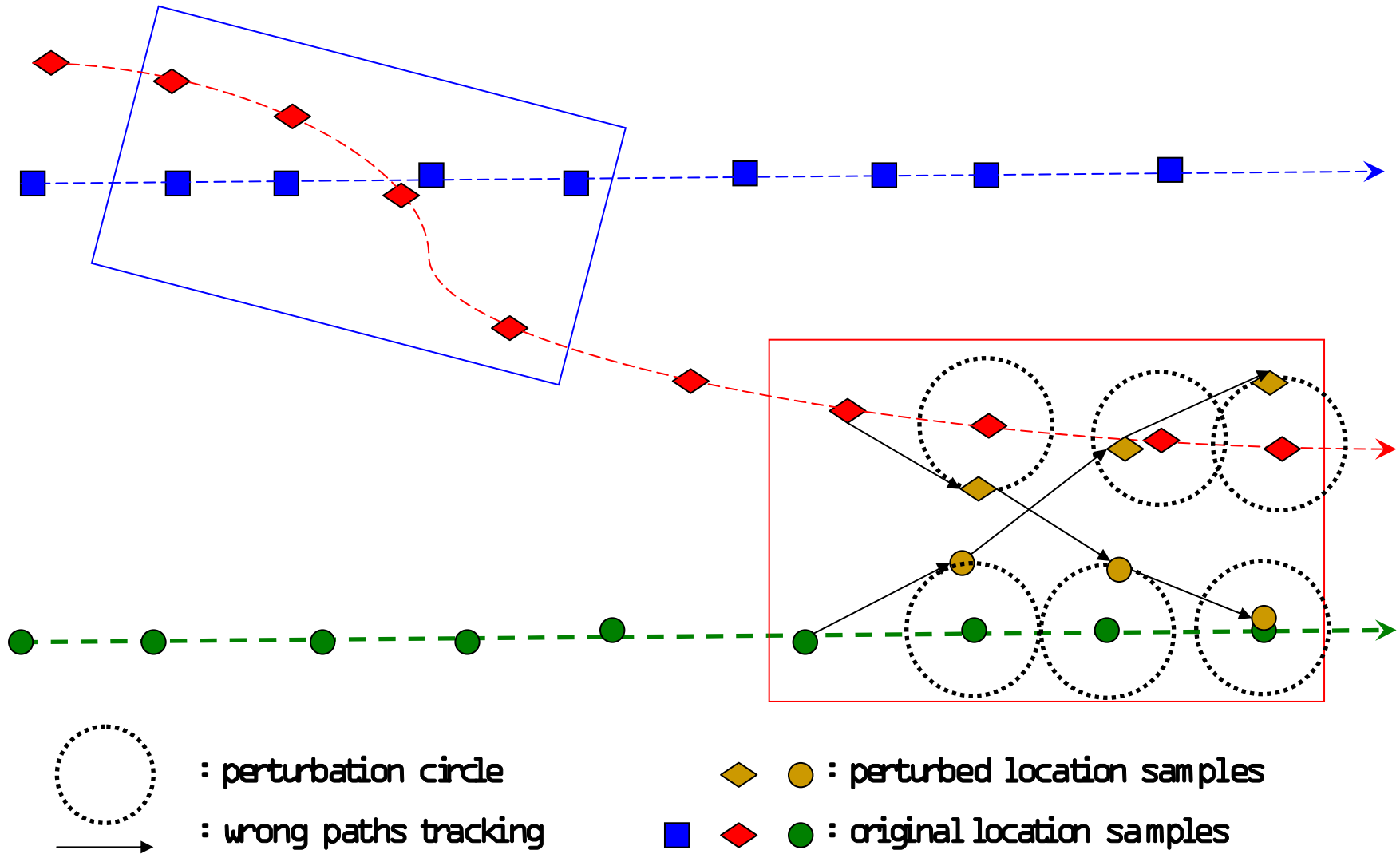
$$(\widetilde{x}_n(k) - x_n(k))^2 + (\widetilde{y}_n(k) - y_n(k))^2 \leq R^2$$

where $d_i(k)$ and $p_i(k)$ are described by the following equations.

$$d_i(k) = \sum_{n=1}^N \sqrt{(x_{m_i(n)}(k) - x_n(k))^2 + (y_{m_i(n)}(k) - y_n(k))^2}$$

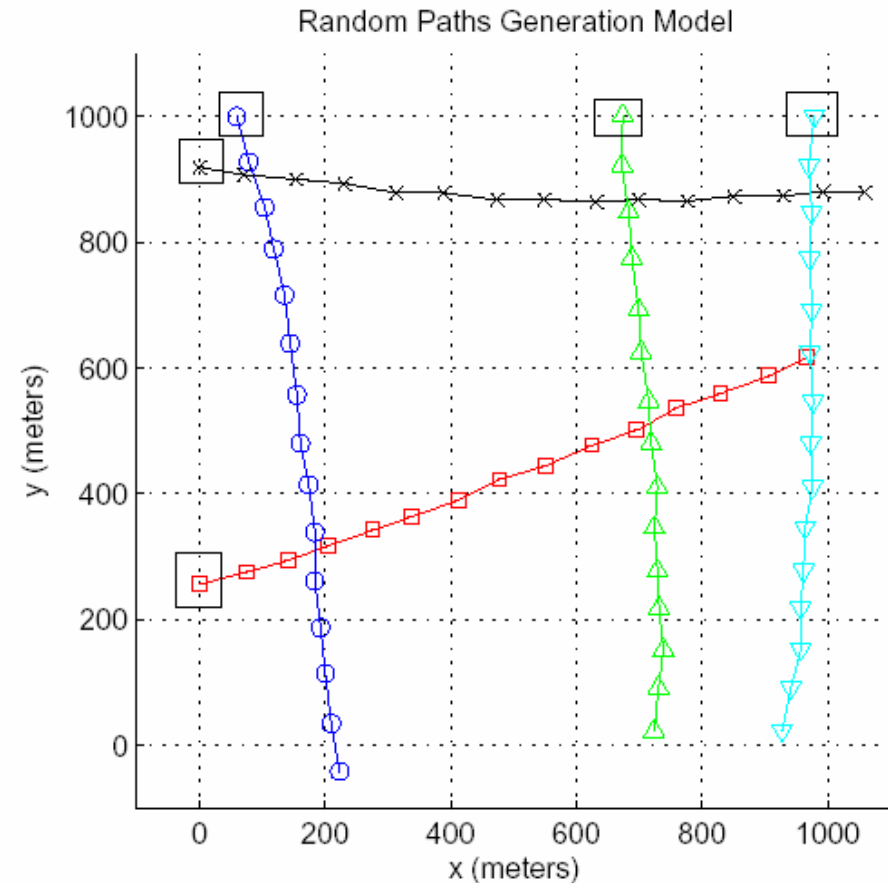
$$P_i^k \equiv P(\Omega_i^k | Z^k) \approx \prod_{n=1}^N f(x_{m_i(n)}(k), y_{m_i(n)}(k))$$

Path Perturbation/Segmentation



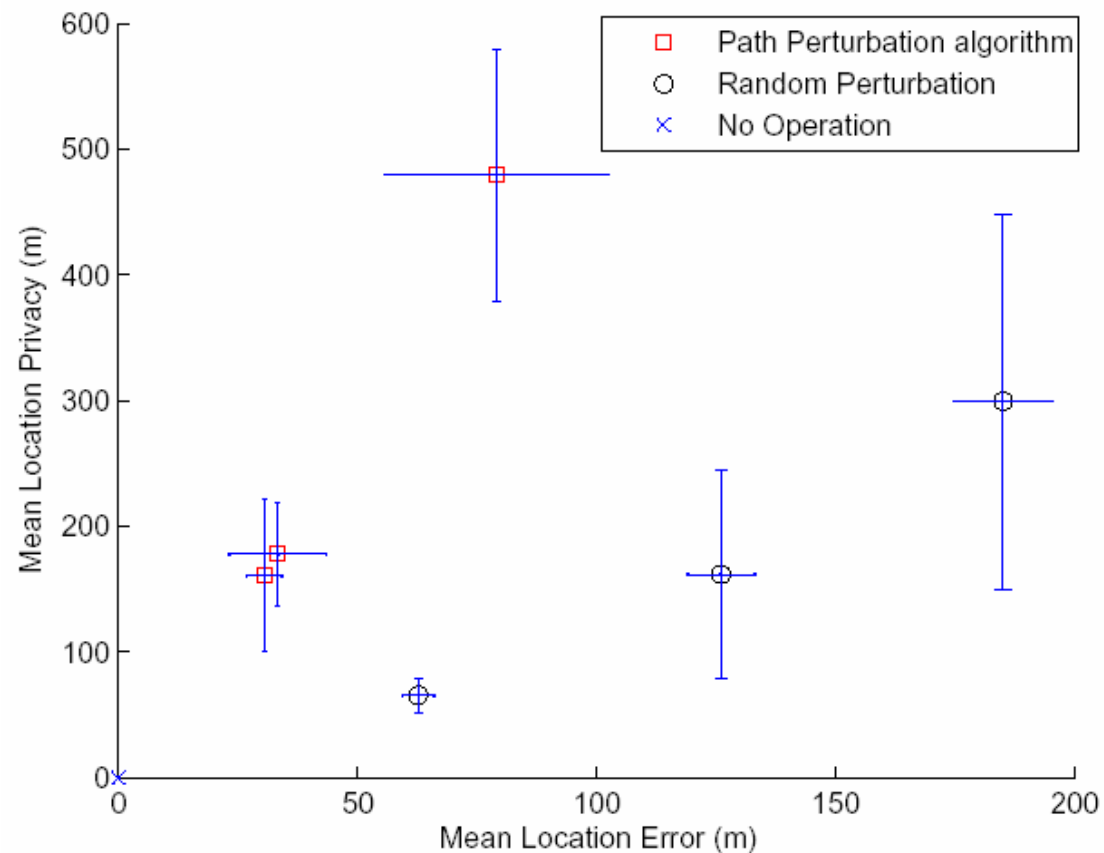
Experiments setup

- User density: $5/\text{km}^2$
($=12.8/\text{mile}^2$)
- Reporting frequency: $T_f=5$ sec
- Random Movement Model
 - Process model
 - Observation model



Performance evaluation

- Baseline to compare: random perturbation



Discussion & Conclusion

- Path Perturbation algorithm:
 - can limit the tracking duration
 - can improve location privacy with a lower mean location error
- Results dependent on
 - User density
 - Tracking algorithm
 - Characteristics of the original traces
- Future work:
 - Reduce the computation overhead (scalability)
 - Validate the results on datasets collected from real-life applications (feasibility)

Questions and Comments



Thank you